



Obesity and the Human Functions

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***Corresponding Author:** Paul T E Cusack, 23 Park Ave, Saint John, NB E2J 1R2, Canada.**Received:** June 03, 2021**Published:** July 20, 2021© All rights are reserved by **Paul T E Cusack**.**Abstract**

In this paper, we attempt to understand better that causes of obesity. Only one patient is considered. We make use of AT Math to see why some people are apparently overweight, yet consume few calories. We calculate ideal body fat percentages.

Keywords: Obesity; Metabolism; R-value; Human Functions; Body Fat Percentage; AT Math

Introduction

Obesity is a growing problem among modern people. World-wide obesity has tripled since 1975. Fifteen percent of youngsters are obese, while one-third of adults are obese. In this paper, we provide a mathematical solution to the obesity problem.

The Patient we consider here is grossly obese. She weighs approximately 350 lbs (159.1 kg). I have never seen her consume an ounce of food and I am with her 8 hours a day every day of the week. She is naturally obese. She swims for exercise yet remains fat. An ankle injury is made all the worse by the extra weight. She swims because she cannot walk very well.

Normal Body fat on a woman is 25-28%.

$$28\% \times 1590.1 = 44.55 \text{ kg}$$

$$TE = M[1/2\pi]$$

$$= 44.5(1/2\pi)$$

$$= 0.709 \sim 1/\sqrt{2}$$

$$44.5\text{kg} - 159.1 = 114.6\text{kg} = 252.1 \text{ lbs}$$

$$350\text{lbs} - 252.12 = 97.88 \text{ lbs} = 44.5 \text{ kg}$$

The Insulation R-Value=(W/cmK).

$$RSI = (1/\sqrt{2})/[100 \times (273 + \Delta T)]$$

Normal Body Temperature=36.4°C

Room Temperature~20°C

$$\Delta T = 36.4 - 20 = 16.4^\circ$$

$$RSI = (1/\sqrt{2})/[100 \times (273 + 16.4)]$$

$$= 0.02443$$

$$\sim 0.0245$$

This is the same as Triple Insulated ¼ inch space Glazing.

$$2.45 \times 350 \text{ lbs} = 857.5 \text{ lbs} / 2.2 = 389.8 \text{ kg} = 1/2.5656 \sim 1/SF$$

$$F = Mg$$

$$389.8(9.806)$$

$$= 3822\text{N}$$

$$3.822\text{kN}$$

Divide by 2 knees	$M=0.3465 \times 2=0.693=Ln 2$
$=1.9111 \text{ N/Knee}$	$t=2=d^2E/dt^2$
Normal $Wt=F_N=Mg=44.5(9.806)$	$t^2-t-1=1=E$
$=436.3 \text{ N}=0.4362\text{kN}$	$t^2-t-2=0$
$1.9111-0.4362\text{kN}=1.475\sim 0.1504\text{kN}=150.4\text{N}$ Excess force on each knee.	$t=2:-1 \Rightarrow SE=SE'$
$150.4=M(9.806)$	$E=5; t=3$
$M=15.34 \text{ kg/ knee}$	$TE=M(1/2\pi)$
$M \text{ total}=30.68\text{kg}$	$=5(2)\pi$
The skeleton can be thought of as mathematics. It provides the structure that the flesh is supported by. Flesh can be thought of as mass. And blood can be compared to energy. The life is in the blood.	$=31.4$
One equation for the skeleton is Gauss's Equation	$31.4-350=318.58$
$\lim_{x \rightarrow \infty} \pi(x)/ [x/\text{Log } x]=1$	$=1/3.138\sim 1/\pi=1/\text{freq}=1/\text{Period } T=1/E=t$
The equation that describes the flesh is the familiar	$M=Ln t$
$M=Ln t=Ln \pi=1+ (1-Ln \pi)^7=1+0=1$	$=Ln(1/3.138)$
The Blood can be thought of as the Total Energy $TE=2$	$=1.1435 \text{ kg}$
This is the Body [1].	$=251.6\text{Lbs}$
Skelton	$=\text{Period } T$
$\lim (\pi)(t)/[t/Ln t]=\pi(\sqrt{2})/[(\sqrt{2})(Ln \sqrt{2})]=2.178\sim 1 \text{ kg}$	$=E$
Flesh	$TE=M(1/2\pi)$
$M=Ln t=Ln (1-Ln \pi)^7$	$M=15.82$
$TE=1/0.707$	$\sim 15.34\text{kg/knee}$
$E=1/t$	Normal Weight=165 lbs=82.5 kg
$t=\sqrt{2}$	$82.5/2\text{knees}=41.25 \text{ kg}$
$M=Ln \sqrt{2}=0.3465\text{kg}$	$15.82/(41.25)=38.4\%$
	$38.4\% + 28\% \text{ (Normal Body fat)}$
	$=66.35\sim \hbar$

$E = \hbar \nu$	$= 2(-1) - 1 = -23$
$= 6.635(1/\pi)$	$dE/dt = \pm 3$
$= 2.112$	$t^2 - t - 1 = E$
$t = 1/E = 1/2.112 = 0.4735$	$E = 5; 11$
$t^2 - t - 1 = E$	$M = \text{Ln } t$
$(0.4735)^2 - (0.4735) - 1$	$= \text{Ln } (1/5) = -1.609$
$= -1.249 \sim -1.25$	$= \text{Ln } (1/11) = -23.97$
$= E_{\min}$ of the GMP.	$1609/23.97 = 14.90 \sim 150$ (see above)
Metabolism	Therefore there are two equilibrium points for Mass (Body Fat).
$dE/dt = 2t - 1$	$TE = M[1/2\pi]$
$= \int d^2E/dt^2 = \int 2 dt$	Metabolism
$= 2t + C$	$dE/dt = 1/(2\pi)(dM/dt)$
$= C = -1$	$= 1/(2\pi)(2)$
$t^2 - t - 1 = 1 = E$	$= 1/\pi$ (see above)
$t = 2; -1$	$M = 251.6$
So $E = 1$ for a persons metabolism	$\Delta M = 251.6 - 165 = 86.6 = 1/\sin \theta$
$TE = M[1/2\pi]$	$s = E \times t = E t \sin \theta$
$1 = M[1/2\pi]$	$s = t$
$M = 2\pi$	$E = 1/\sin \theta = 1/\sin 60^\circ = 1/t$
$M = \text{Ln } t$	$t = \sin 60^\circ$
$= 535.4$	$M = \text{Ln } t$
$= 1/1867$	$\text{Ln } (0.866)$
$= 1/\rho$	$= 0.1438$
$dE/dt = 2t - 1$	$= 0.695$
$= 2(2) - 1 = 3$	$= \text{Ln } 2$

$$= \ln t$$

$$t = 2/1 = 1/\cos\theta$$

$$[1/\cos 60^\circ]/\sin 60^\circ$$

$$= 1.1347$$

$$= 1/0.866$$

$$= 1/\sin 60$$

$$= 1/t = E$$

$$|E| = |1/\sin(-1)| = |-57.29| = 57.29$$

$$1/\sin(2) = 28.6537$$

$$57.29/28.6537$$

$$= 2.0$$

$$M = \ln t = \ln(1.1547) = 0.1438 = 6.95 = \ln 2$$

The ideal Body Fat Percentage for average Men = 15.47% while for average women it is 30.9%

$$\text{Metabolism} = dE/dt = 2t - 1$$

$$\int dE/dt = 2t^2/2 - t + C$$

$$E = t^2 - t + C$$

$$\text{Let } E = 1; C = -1$$

$$t^2 - t - 1 = E$$

$$\text{But } M = \ln t$$

$$e^{M=t}$$

$$e^{2M} - e^{M-1} = E$$

$$2M - M - \ln 1 = E$$

$$M - 0 = E$$

$$M = E$$

$$\text{But } E = 1/t$$

$$\ln t = 1/t$$

$$y = y'$$

Conclusion

We see that AT Math can be used to determine ideal body fat percentages.

Bibliography

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